CANCER GENOMICS Lecture 1: Introduction to Cancer Genome Analysis

GENOME 541
Spring 2020



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Overview of Cancer Genomics Module

1. Introduction to Cancer Genome Analysis

2. Probabilistic Methods for Mutation Detection

3. Probabilistic Methods for Profiling Copy Number Alteration

4. Additional Topics: Tumor Heterogeneity, Mutation Detection Power, Structural Variation



Homework Assignments and Office Hours

TA for Module: Anna-Lisa Doebley (adoebley@uw.edu)

Homework #5

Due: May 8th

Office Hours

- Monday, May 4, 2-3pm
- Wednesday, May 6, 2-3pm

Homework #6

Due: May 15th

Office Hours

- Monday, May 11, 2-3pm
- Wednesday, May 13, 2-3pm



Outline: Introduction to Cancer Genome Analysis

1. Intro to Cancer Genome Alterations

- Genomic alterations in cancer: drivers vs passengers, somatic vs germline
- Tumor evolution and heterogeneity

2. Overview of Cancer Genome Analysis

- Computational strategy and workflow
- Tumor DNA Sequencing
- Types of genomic alterations predicted from tumor sequencing
- Methods/tools/algorithms in following lectures

3. Primer on statistical modeling

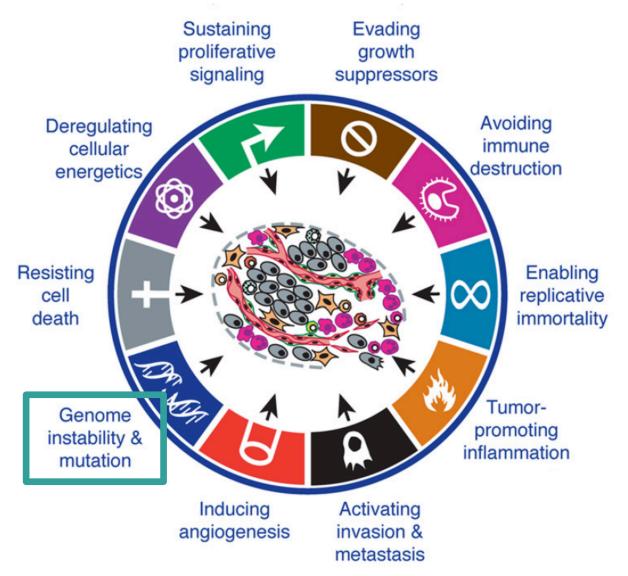
Binomial probability distribution, Bayesian statistics, parameter learning



The hallmarks of cancer

 All cancers exhibit many of these hallmarks that lead to tumor growth

 Genome instability & mutation is an enabling characteristic that can result in multiple hallmarks

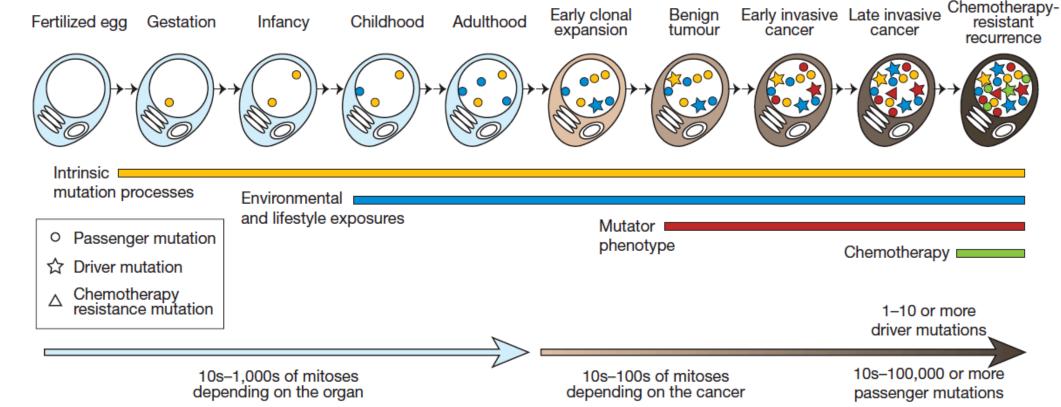




Cancer is a disease of the genome

Cancer progression results from mutations acquired throughout lifetime

- Few driver mutations, many passenger mutations
- Mutational process can be intrinsic and from environmental mutagens





Genomic Variation: Somatic and Germline

Variant or Mutation or Alteration or Polymorphism

Changes in the genome sequence of a sample compared to a reference sequence

Germline Variant

- Chromosomes: 22 autosomal pairs + 1 sex pair
 - Each set inherited from maternal and paternal germline cells
- Variant inherited from one or both parental chromosomes
- Source of genetic differences between ancestral populations and individuals
- Polymorphism: >1% frequency in a population

Somatic Variant

- Mutation acquired during individual's lifetime
- Important to identify in sporadic cancers and other non-familial diseases



Types of Genomic Variation: Small/Short mutations

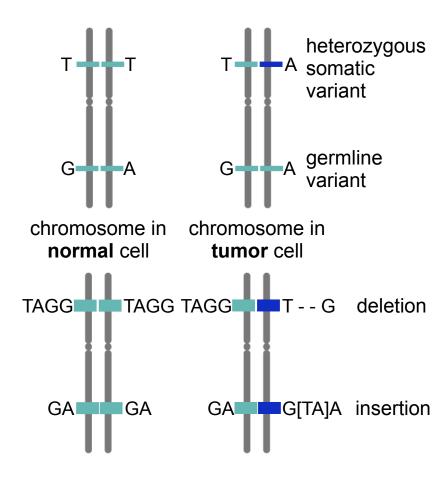
1. Single nucleotide base substitutions

- Germline single nucleotide polymorphism (SNP)
- Somatic single nucleotide variant (SNV)

2. Small insertions or deletions

- Germline or somatic insertion or deletion (INDEL)
- Small indels: 1 bp 20 bps
- Large indels: 20 10,000 bps

Single nucleotide variant



Insertion-Deletion (INDEL)



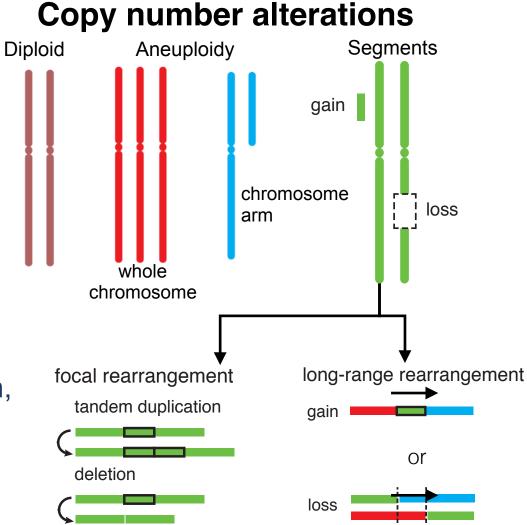
Types of Genomic Variation: Large alterations

3. Copy number changes

- Germline copy number variant (CNV) or polymorphism (CNP)
- Somatic copy number variant (CNV) or alterations (CNA)
- Size > 1 kbps, typically mega-bases (depending on resolution)

4. Structural rearrangements

- Germline or Somatic structural variant (SV)
- Simple events: deletion, duplication, inversion, translocation
- Single nucleotide resolution for breakpoints
- Size > 20 bps, typically kilo-bases to megabases

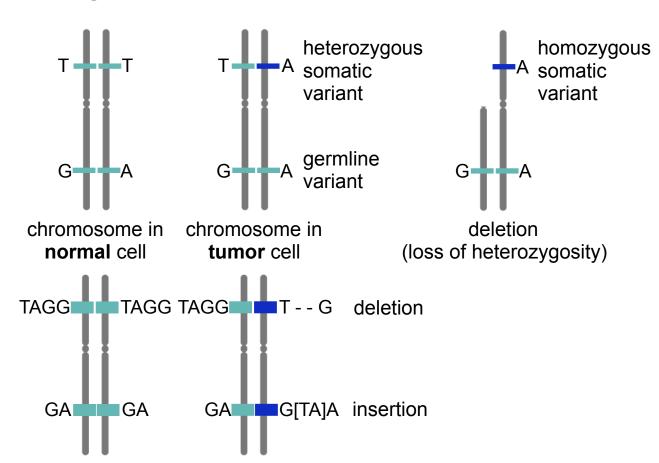


Structural rearrangements



Types of Genomic Variation in Cancer

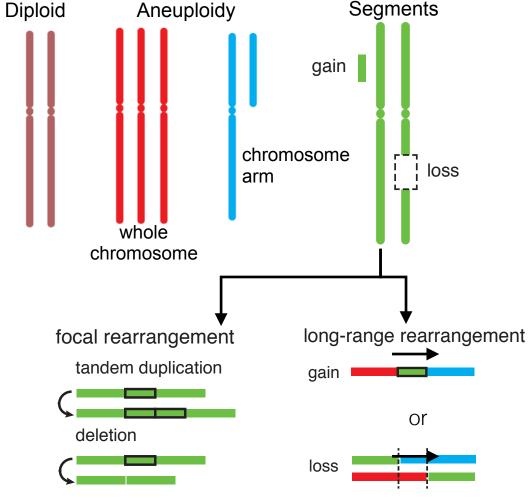
Single nucleotide variant



Insertion-Deletion (INDEL)



Copy number alterations



Structural rearrangements

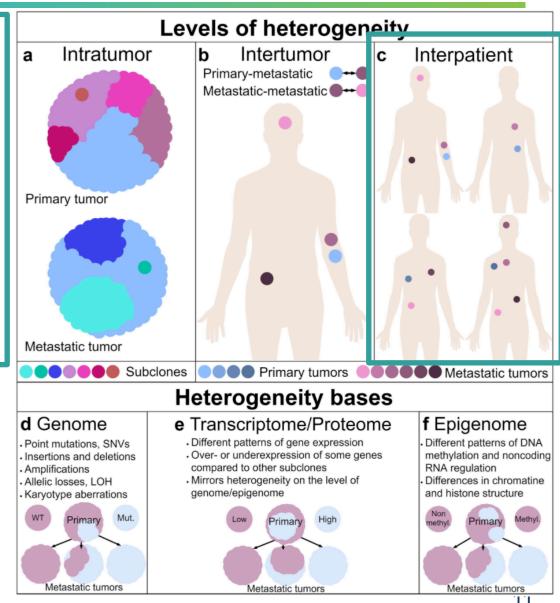
Tumors exhibit different levels of heterogeneity

Across patient populations:

- 1. **Cancer types**: between primary tumors of different organs or tissue-of-origin (eg. Breast and lung cancers)
- 2. **Same-subtype**: between tumors from different patients
- 3. **Tumor subtypes**: between subset of patients with tumors having similar molecular features (e.g. ER+ and ER- breast cancers)

Within an individual patient:

- 4. **Inter-tumor**: between tumors within a patient
- 5. Intra-tumor heterogeneity: between cells within a tumor lesion (e.g. tumor clones, stromal cells, infiltrating lymphocytes)

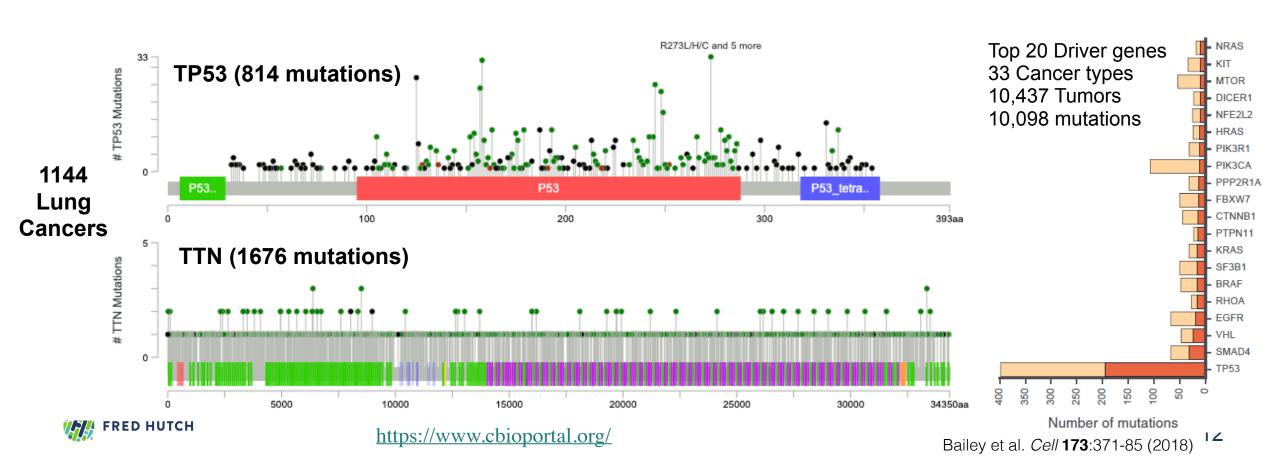




Cancer Genes: Driver vs Passenger Genomic Alterations

How do we find the mutated genes that drive cancer?

- Significantly Mutated Genes: recurrently mutated genes in patient cohorts
- Account for covariates (e.g. gene length, expression, replication timing)



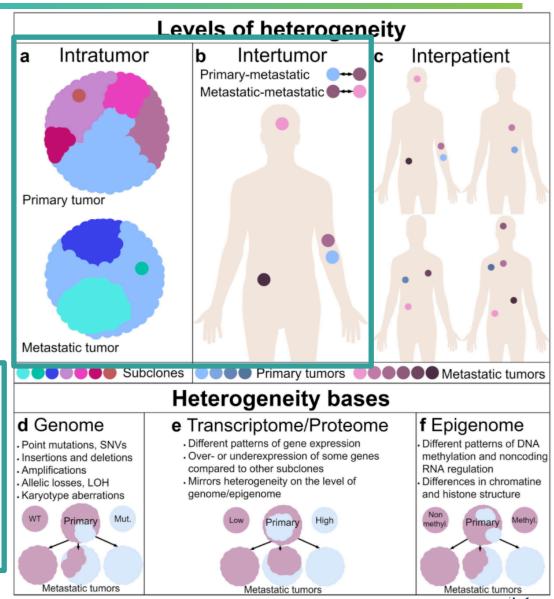
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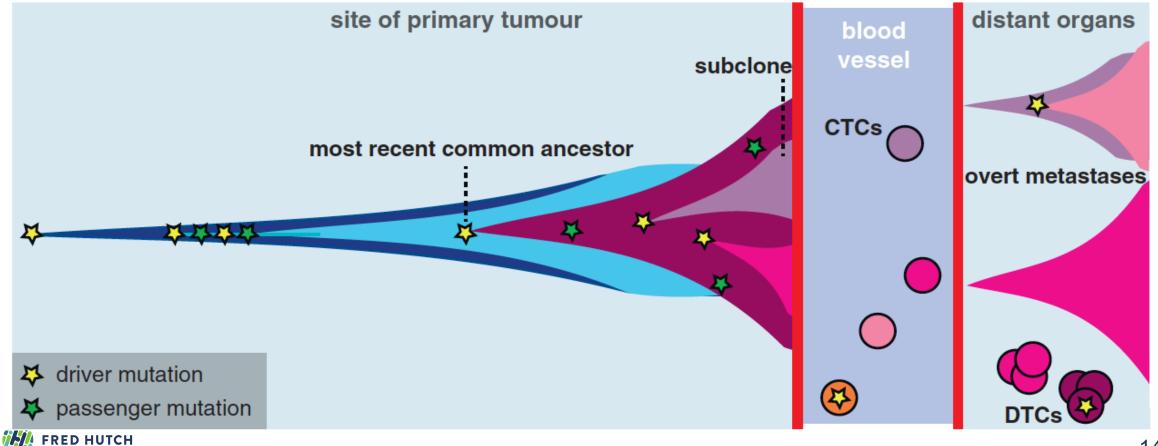
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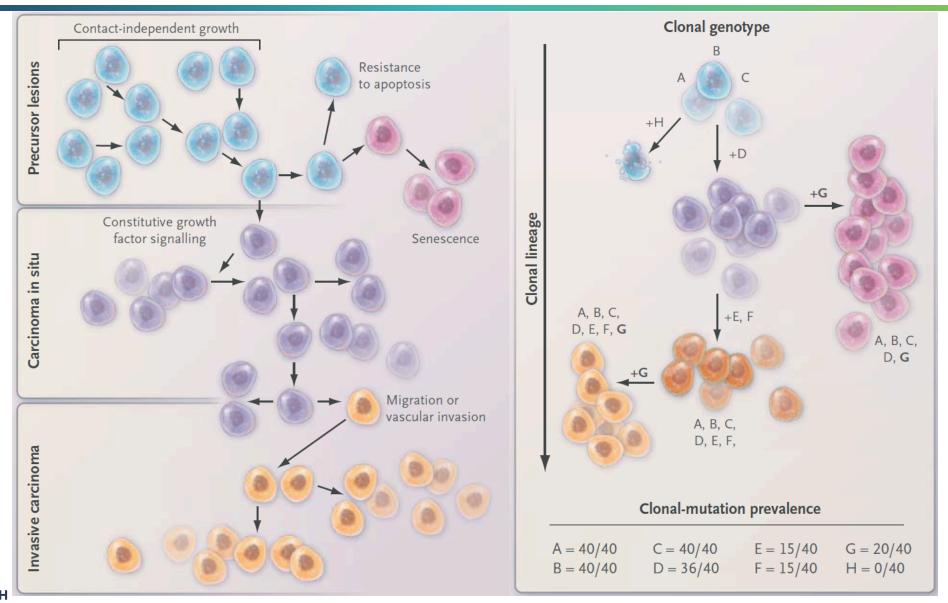


Tumors undergo genome evolution and clonal expansion

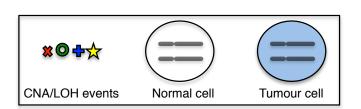
- Clonal diversity may have implications for treatment resistance
- Dynamics of clones can change in the blood and metastases

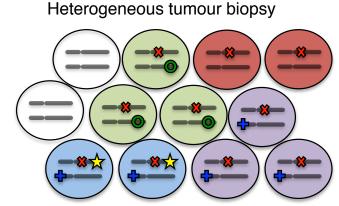


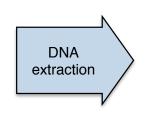
Tumor genome evolution selects for cellular phenotypes

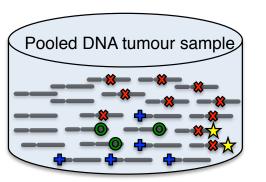


Inferring intra-tumor genomic heterogeneity from sequencing











- Combined signals from normal and multiple populations of tumor cells.
- Cellular prevalence: proportion of tumor cells harboring event
- Discuss further in Lecture 4...

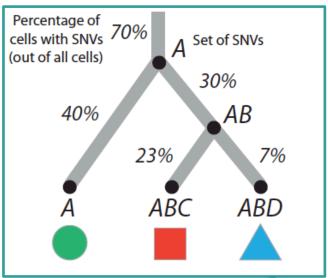
Subclonal events Cellular prevalence

- ***** 100%
- **\$** 50%
- **o** 30%
- ☆ 20%

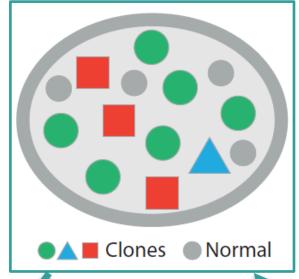


Inferring evolutionary history of a tumor from sequencing

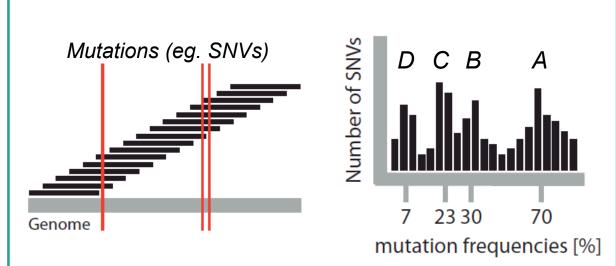
Evolutionary History



Clonal Cell Populations



Sequencing Data



- 3. Infer evolutionary (phylogenetic) tree
- 2. Infer clonal prevalence

1. Mutation Calling & Analysis



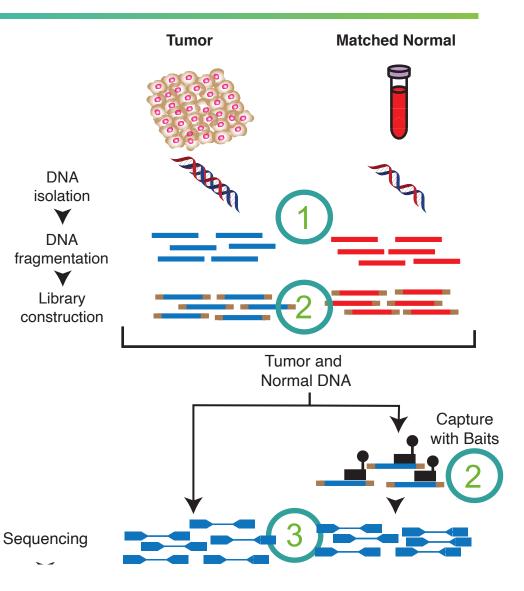
2. Overview of Cancer Genome Analysis

- Computational strategy and workflow
- Tumor DNA sequencing
- Whole genome vs whole exome vs targeted sequencing
- Types of genomic alterations predicted from tumor sequencing
- Methods/tools/algorithms in following lectures



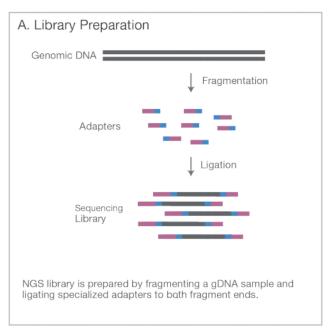
General Workflow of Tumor Genome Sequencing (1)

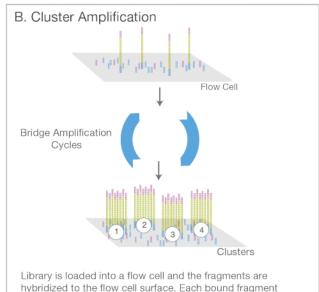
- Tumor and Normal pairing
 - Distinguish somatic and germline alterations
- Capture baits can be used to select regions
 - e.g. whole exome or targeted gene panels
- Potential sources of error can arise
 - 1. 8-oxoG transversions (C>A/G>T)
 - 2. PCR errors and GC content bias
 - 3. Sequencing errors



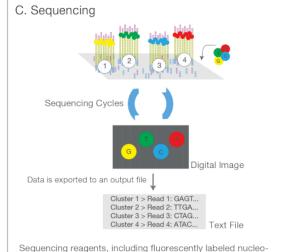


Genome Sequencing: Massively Parallel Sequencing





is amplified into a clonal cluster through bridge amplification.



tides, are added and the first base is incorporated. The flow

The emission wavelength and intensity are used to identify the base. This cycle is repeated "n" times to create a read

length of "n" bases.

cell is imaged and the emission from each cluster is recorded.

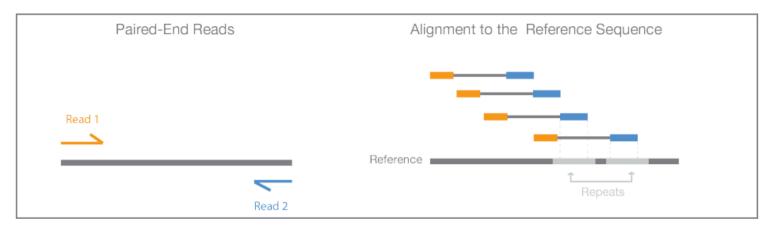
Reads AGATGGTATTG
GATGGCATTGCAA
GCATTGCAATTT
AGATGGCATTGCAATT
AGATGGCATTGCAATT
AGATGGCATTGCAATTT
AGATGGCATTGCAATTT
AGATGGCATTGCAATTTG

Reference
Genome AGATGGTATTGCAATTTGACAT

Reads are aligned to a reference sequence with bioinformatics software. After alignment, differences between the reference genome and the newly sequenced reads can be identified.

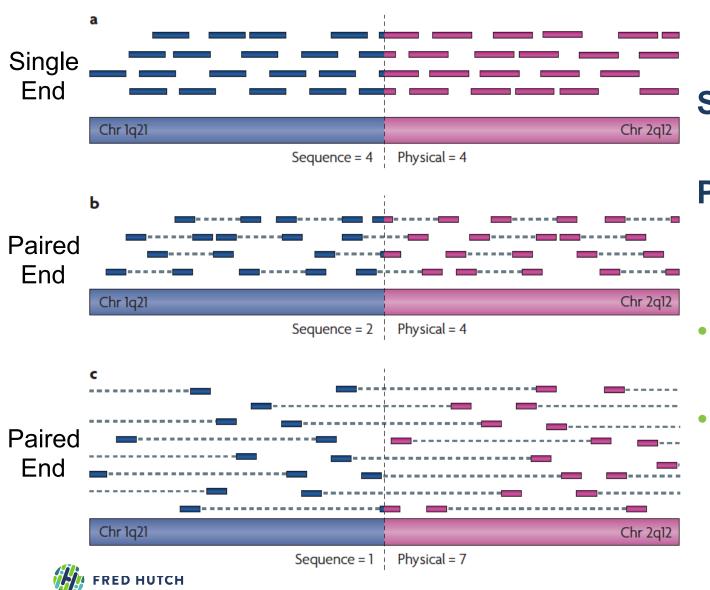
ATGGCATTGCAATTTGACAT TGGCATTGCAATTTG

D. Alignment and Data Anaylsis





Genome Sequencing: Sequence vs Physical Coverage

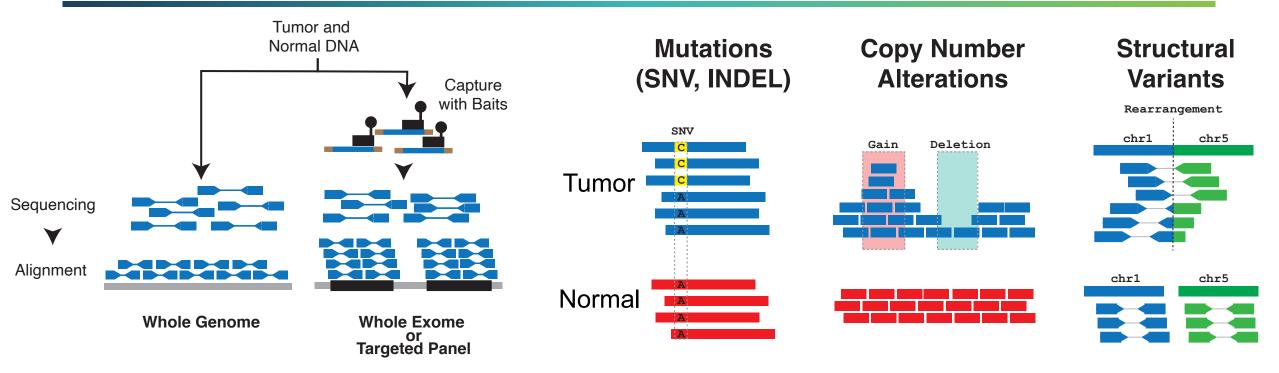


Sequence Coverage = number of sequenced reads spanning locus

Physical Coverage = number of DNA fragments spanning locus

- Mutation detection rely on sequence coverage
- Rearrangement detection rely on both

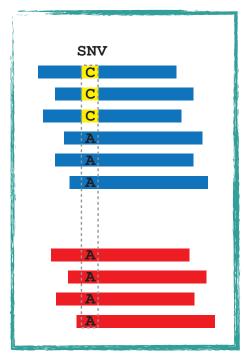
General Workflow of Tumor Genome Sequencing (2)



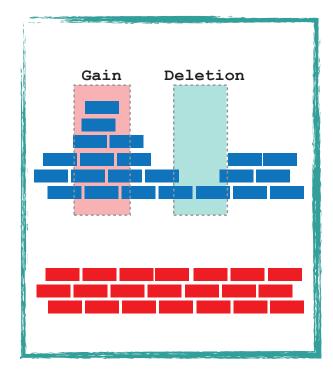
	Whole Genome Sequencing	Whole Exome Sequencing	Targeted Gene Sequencing	
	Genome-wide (unbiased)	• Exons (2% of genome)	Target regions (1-5Mb)	
	 0.1-100x genome coverage 	 50-500x target coverage 	• 100-25000x target coverage	
	 More sequencing required 	 Less sequencing required 	 Least sequencing required 	
	 Expensive 	 Cost-effective 	 Panel design costs 	
	 Coding/Non-coding mutations 	 Coding mutations (all genes) 	 Coding mutations (selected) 	
	 Copy number alterations 	 Copy number alterations 	Targeted rearrangements	
ΕI	 Structural variation 	 Gene fusions rearrangements 		

Types of Genomic Alterations Predicted from Sequencing

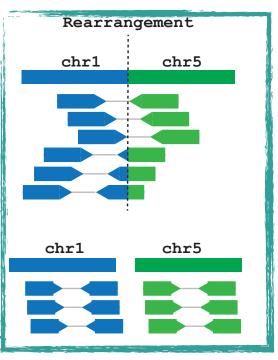
Mutations (SNV, INDEL)



Copy Number Alterations



Structural Variants



Lecture 2

Lecture 3

Lecture 4?



Genome Sequencing: International Consortia & Projects

1000 Genomes Project (https://www.internationalgenome.org/)

UK10K (https://www.uk10k.org/)

The 100,000 Genomes Project (https://www.genomicsengland.co.uk/)

Rare disease, cancer, infectious disease

Genome 10K Project (https://genome10k.soe.ucsc.edu/)

Genomic "zoo" of 16,000 vertebrate species

Exome Aggregation Consortium (ExAC) (http://exac.broadinstitute.org/)

Genome Aggregation Database (gnomAD) (https://gnomad.broadinstitute.org/)

The Cancer Genome Atlas (TCGA) (https://portal.gdc.cancer.gov/)

International Cancer Genome Consortium (ICGC) (https://icgc.org/)





UK10K

Rare Genetic Variants in Health and Disease



#100kThankYous



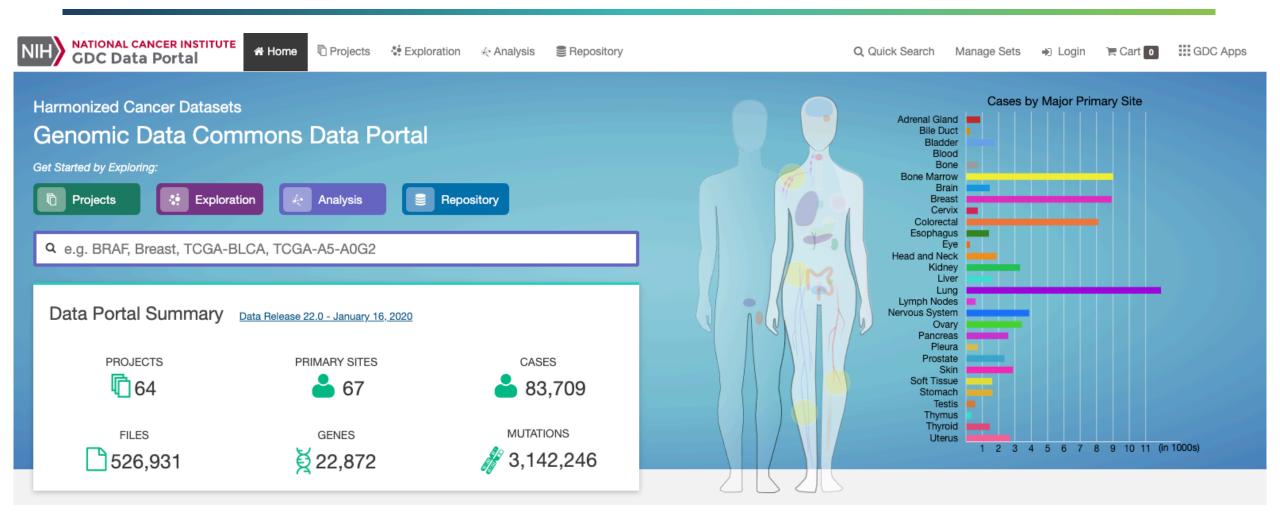






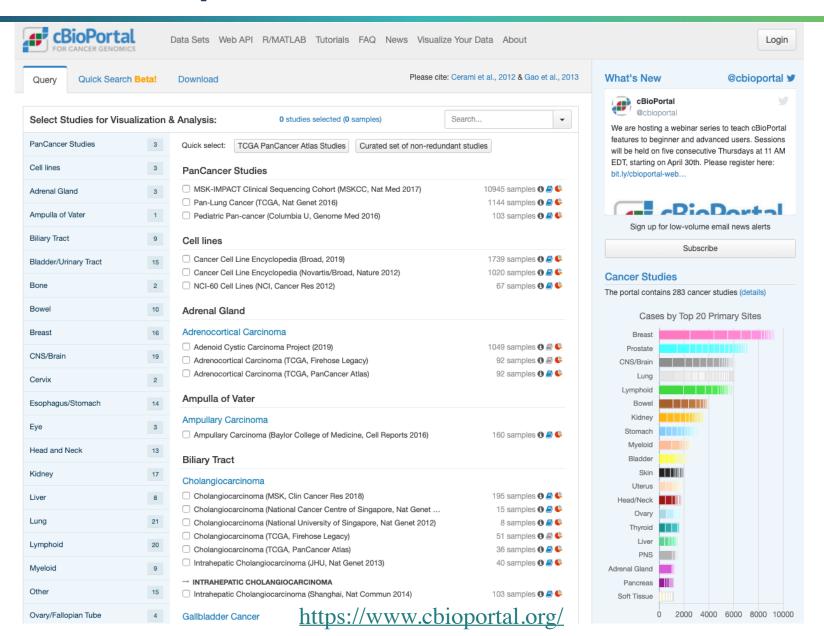


Cancer Genome Sequence Data: Databases & Online Resources





Cancer Genome Sequence Data: Databases & Online Resources

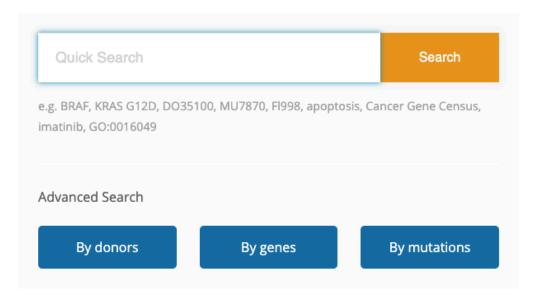


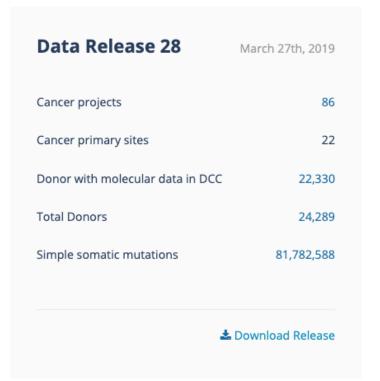


Cancer Genome Sequence Data: Databases & Online Resources



Cancer genomics data sets visualization, analysis and download.







3. Primer on statistical modeling

- Probability
 - Unsupervised learning, probability rules & Bayes' theorem
 - Binomial distribution, Bayesian statistics
 - Beta-binomial model example
- Mixture models, EM inference
- References:
 - Murphy, K. (2012). Machine Learning: A Probabilistic Perspective. MIT Press. ISBN: 9780262018029
 - Bishop, C. M. (2006). Pattern Recognition and Machine Learning (Information Science and Statistics). Springer. ISBN: 0387310738
 - https://www.cs.ubc.ca/~murphyk/Teaching/CS340-Fall06/reading/bernoulli.pdf



Sequencing Data Analysis Requires Probabilistic Models

- Sequencing data contain uncertainty due to
 - Technical noise from imperfect measurements & errors
 - Biological features in the signal measurements
- How do we predict genomic alterations accounting for these features and noise?
 - Need approaches to learn the patterns of these features from the data...

Types of machine learning:

- Supervised: output data y, input data x, and training set $D = \{(x, y)\}$
 - Classification (y are labels), Regression (y is continuous)
- Unsupervised: Only given input data $D = \{x\}$, learn the patterns of the data
 - E.g. clustering input data x into K clusters by estimating their assignments z

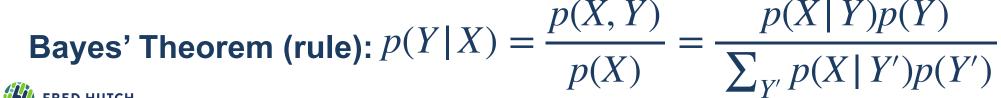


Primer: Probability Theory

Let X be a random variable. The probability for the event X = x for some value x is p(X = x) or p(x) for short. Let Y be another random variable.

Probability Rules

- Sum rule: $p(X) = \sum_{V} p(X, Y)$
- **Product rule:** p(X, Y) = p(Y|X)p(X) and p(Y, X) = p(X|Y)p(Y)
- Conditional Probabilities: $p(Y|X) = \frac{p(X,Y)}{p(X)}$
- Marginal Probabilities: $p(X) = \sum_{Y} p(Y, X) = \sum_{Y} p(X|Y)p(Y)$

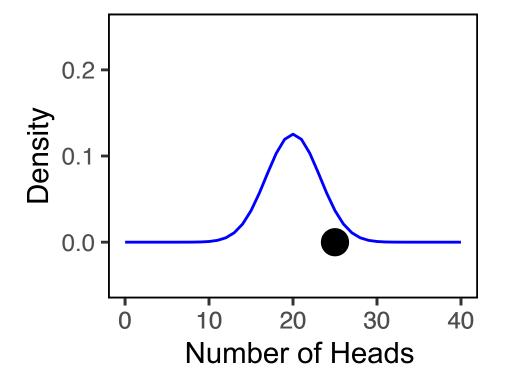




Probability distribution: Binomial

Binomial Distribution: Referee Coin Toss Example

- A referee has a coin that he uses to decide which team gets first possession. She tossed the coin N times last season, once per game. We assume this coin was fair and had a probability $\mu=0.5$ for showing a head. We kept track of the number of heads x that appeared.
- What is the probability of seeing a specific number of heads? e.g. x=25 out of N=40 tosses





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Probability mass function

• Let X be the random variable representing the number of heads. If the probability of heads is μ , then X has a binomial distribution, $X \sim Bin(N, \mu)$ or $p(X = x \mid N, \mu) = Bin(x \mid N, \mu)$ where

$$Bin(x \mid N, \mu) = \binom{N}{x} \mu^{x} (1 - \mu)^{N - x}$$

 $\binom{N}{k}$

number of ways the 25 heads is observed among the sequence of 40 tosses.

• Our coin-toss example: for x=25 out of N=40 and a fair coin $\mu=0.5$

$$p(X = 25 \mid N = 40, \mu = 0.5) = Bin(25 \mid 40, 0.5) = {40 \choose 25} 0.5^{25} (1 - 0.5)^{40 - 25}$$



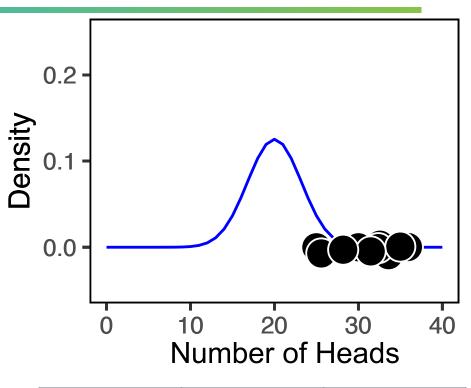
Binomial likelihood model

- Suppose there are T different referees who toss the same coin $N=\{1,\ldots,N_T\}$ times and come up with head counts $x=\{1,\ldots,x_T\}$.
- Assuming the referees' tosses are *independent* and *identically distributed* (**iid**), what is the probability of observing the head counts given the coin (e.g. $\mu=0.5$)?

$$p(x_{1:T}|N_{1:T},\mu) = \prod_{i=1}^{T} Bin(x_i|N_i,\mu) \quad \text{Likelihood}$$

• What if the coin wasn't fair and the probability of heads, μ , might not be 0.5?





	# of tosses (N)	# of heads (x)
Referee 1	40	25
Referee 2	42	35
Referee 3	39	27
Referee T	XT	N _T

Maximum likelihood estimation (MLE)

- What is the probability of heads, μ , of this coin given the evidence?
- We can estimate this model parameter using

maximum likelihood estimation

$$p(x_{1:T}|N_{1:T},\mu) = \prod_{i=1}^{T} Bin(x_i|N_i,\mu)$$

 $\log p(x_{1:T}|N_{1:T},\mu) = \sum \log Bin(x_i|N_i,\mu)$ Log-likelihood

$$\hat{\mu} = \frac{\sum_{i=1}^{T} x_i}{\sum_{i=1}^{T} N_i}$$

Likelihood





0.0

0.2 -

Density

- 2. Take the derivative wrt to μ

20

Number of Heads

30

- 3. Equate to 0
- 4. Solve for μ



Bayesian Statistics: Prior distribution for model parameters

Likelihood for Binomial Model

$$p(x_{1:T}|N_{1:T},\mu) = \prod_{i=1}^{T} Bin(x_i|N_i,\mu)$$
 Likelihood

• MLE uses the evidence to estimate parameter $\hat{\mu}$ but our sample size is small and MLE may **overfit**

	# of tosses (N)	# of heads (x)	Prop. of heads
Referee 1	40	25	0.63
Referee 2	42	35	0.83
Referee 3	39	27	0.69
Referee T	XT	N _T	x _T /N _T

- Zero count or sparse data problem: If you have a bad record keeper who only tallies coin tosses from referees who never tosses a tail, then does that mean the concept of tails on a coin does not exist at all?
- Can we capture a more natural expectation of how a coin might behave? Also, what if we have some knowledge that the coin might be biased?

Prior Distribution for binomial parameter, μ

- The proportion of heads is between 0 and 1 ($\mu \in [0,1]$) and can be sampled from a distribution itself
- μ can be drawn from a Beta distribution, which is in the interval [0,1], with **hyper-parameters** α and β

$$\mu \sim Beta(\alpha, \beta)$$

$$p(\mu) = Beta(\mu \mid \alpha, \beta)$$
 Prior



Bayesian statistics: Posterior for Beta-Binomial Model (1)

Binomial likelihood and Beta prior

• T different head counts $\mathbf{x} = \{1, ..., x_T\}$ for $N = \{1, ..., N_T\}$ sets of tosses and a **prior** distribution on μ (prob. of heads)

$$p(x_{1:T}|N_{1:T},\mu) = \prod_{i=1}^{T} Bin(x_i|N_i,\mu)$$
 Likelihood $p(\mu) = Beta(\mu \mid \alpha, \beta)$ Prior

- To estimate parameter μ in a Bayesian framework
 - We need the **posterior**, $p(\mu | x)$, but only have $p(x | \mu)$ and $p(\mu)$
- Recall Bayes' Theorem:

$$p(Y|X) = \frac{p(X|Y)p(Y)}{\sum_{Y'} p(X|Y')p(Y')} \propto p(X|Y) \ p(Y)$$
Posterior Likelihood Prior

• The *posterior* is our *belief state* by combining evidence from observations and our prior beliefs.



Bayesian statistics: Posterior for Beta-Binomial Model (2)

Beta-Binomial Model: Posterior distribution

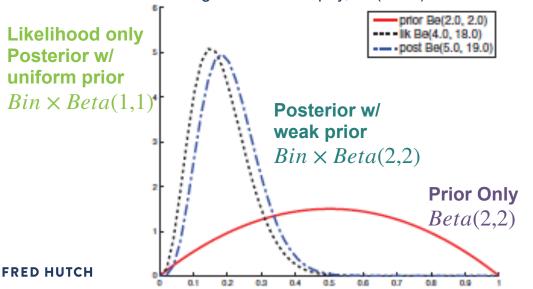
• To estimate the model parameter μ in a Bayesian framework, we compute the **posterior**, $p(\mu \mid x)$

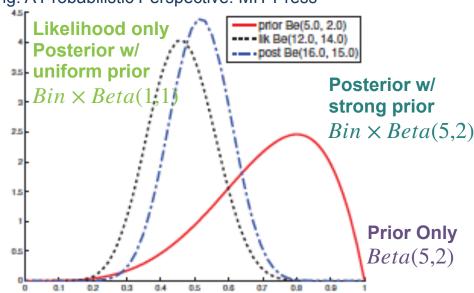
$$p(\mu \mid \mathbf{x}) \propto \prod_{i}^{T} Bin(x_{i} \mid N_{i}, \mu) \times Beta(\mu \mid \alpha, \beta)$$

• Beta is a conjugate prior for the binomial; the product of binomial and Beta has the form of a Beta

$$p(\mu \mid \mathbf{x}) \propto \prod_{i}^{T} Bin(x_{i} \mid N_{i}, \rho) \times Beta(\mu \mid \alpha, \beta) = \prod_{i}^{T} Beta(\mu \mid x_{i} + \alpha, N_{i} - x_{i} + \beta)$$
Prior Posterior

Figure 3.6 in Murphy, K. (2012). Machine Learning: A Probabilistic Perspective. MIT Press





Bayesian statistics: MAP estimate

Beta-Binomial Model: Posterior distribution

$$p(\mu | \mathbf{x}) \propto \prod_{i}^{T} Bin(x_{i} | N_{i}, \rho) \times Beta(\mu | \alpha, \beta) = \prod_{i}^{T} Beta(\mu | x_{i} + \alpha, N_{i} - x_{i} + \beta)$$
Posterior

• Then, what is the probability of heads, μ , of this coin given the **evidence** and the **prior**?

Maximum a posteriori (MAP) estimate

- From the posterior, we can estimate the parameter using the *maximum a posteriori (MAP*), $\hat{\mu}_{MAP}$
- MAP refers to the mode of the posterior distribution and the mode of a Beta is $\frac{\alpha-1}{\alpha+\beta-2}$
- Since the posterior has the form of a Beta distribution, then the MAP is $\frac{\alpha'-1}{\alpha'+\beta'-2}$

$$\alpha' = \sum_{i}^{T} x_i + \alpha$$

$$\beta' = \sum_{i}^{T} (N_i - x_i) + \beta$$

$$\hat{\mu}_{MAP} = \frac{\sum_{i}^{T} x_i + \alpha - 1}{\sum_{i}^{T} N_i + \alpha + \beta - 2}$$





- 1. Log of the posterior
- 2. Take the derivative wrt to μ
- 3. Equate to 0
- 4. Solve for μ



Mapping the Referee Example to Mutation Calling

Referee Coin Toss Example

<u>Data</u>

Referees $1, \dots, T$

For each Referee i

- Coin Tosses: N_i
- Count of heads: x_i
- Count of tails: $N_i x_i$

Parameters

Probability to draw coins: $\pi_{fair}, \; \pi_{heads}, \; \pi_{tails}$

Probability of heads for 3 types of coins

Hair, Hheads, Htails

<u>Responsibilities</u>

Probability that Referee i used coin k: $\gamma(Z_i = k)$

Mutation Calling from Sequencing Data

<u>Data</u>

Genomic loci $1, \dots, T$

For each locus *i*

- Depth (total reads): N_i
- Count of reference reads: x_i
- Count of variant reads: $N_i x_i$

<u>Parameters</u>

Probability of genotypes: π_{AA} , π_{AB} , π_{BB}

Probability of reference base for 3 genotypes:

 $\mu_{AA}, \mu_{AB}, \mu_{BB}$

<u>Responsibilities</u>

Probability that locus i has genotype k: $\gamma(Z_i = k)$



Mixture Models: Online Tutorial and Resource

fiveMinuteStats (https://stephens999.github.io/fiveMinuteStats/)

by **Dr. Matthew Stephens**, Professor in Statistics & Human Genetics at University of Chicago

- 1. Introduction to mixture models with probabilistic derivations and R code
 - Examples with Bernoulli and Gaussian models
 - https://stephens999.github.io/fiveMinuteStats/intro_to_mixture_models.html
- 2. Introduction to EM with Gaussian Mixture Model example and R code
 - https://stephens999.github.io/fiveMinuteStats/intro_to_em.html



Homework #5: Single-nucleotide Genotype Caller

Implement a standard binomial mixture model described in Lecture 2.

- Learn the parameters and infer the genotypes
- Annotate the mutation status for a set of genomic loci.
- Expected outputs for each question will be provided so that you can check your code.
- RStudio Markdown and Python Jupyter Notebook templates provided.

Due: May 8th

Office Hours with Anna-Lisa Doebley (adoebley@uw.edu)

- Monday, May 4, 2-3pm
- Wednesday, May 6, 2-3pm

